

CS 406: Crafting a Simple Compiler

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- **ac** = a simple programming language to illustrate the compilation phases
 - **Types**: integer and float
 - **Keywords**: `f` (declares a float variable), `i` (declares an integer variable), and `p` (prints the value of a variable)
 - **Variables**: 23 possible, one-letter variable names (excluding the reserved keywords)
 - **Type conversions**: automatic from integer to float, forbidden the other way around
 - **Operations**: addition, subtraction, assignment
- **Compilation**: translation of an `ac` program into a `dc` program
 - `dc` = stack-based calculator using the reverse Polish notation



- **Tokens** are the lexical units of a program
 - A token makes sense to the program as a whole but its substrings do not
- Token definition is accomplished using **regular expressions**

Token	Regular expression
floatdcl	f
intdcl	i
print	p
id	[a - e] [g - h] [j - o] [q - z]
assign	=
plus	+
minus	-
inum	[0 - 9][0 - 9]* or [0 - 9] ⁺
fnum	[0 - 9] ⁺ . [0 - 9] ⁺
blank	␣ ⁺



- The syntax of a programming language is specified using a **context-free grammar**
- Alternate (textbook) notations:
 - Capitalized nonterminals rather than $\langle \dots \rangle$
 - λ for the empty string rather than ϵ

$$\langle \text{prog} \rangle \rightarrow \langle \text{dcls} \rangle \langle \text{stmts} \rangle \$ \quad (1)$$

$$\langle \text{dcls} \rangle \rightarrow \langle \text{dcl} \rangle \langle \text{dcls} \rangle \quad (2)$$

$$| \epsilon \quad (3)$$

$$\langle \text{dcl} \rangle \rightarrow \text{floatdcl id} \quad (4)$$

$$\rightarrow \text{intdcl id} \quad (5)$$

$$\langle \text{stmts} \rangle \rightarrow \langle \text{stmt} \rangle \langle \text{stmts} \rangle \quad (6)$$

$$| \epsilon \quad (7)$$

$$\langle \text{stmt} \rangle \rightarrow \text{id assign } \langle \text{val} \rangle \langle \text{expr} \rangle \quad (8)$$

$$| \text{print id} \quad (9)$$

$$\langle \text{expr} \rangle \rightarrow \text{plus } \langle \text{var} \rangle \langle \text{expr} \rangle \quad (10)$$

$$| \text{minus } \langle \text{var} \rangle \langle \text{expr} \rangle \quad (11)$$

$$| \epsilon \quad (12)$$

$$\langle \text{val} \rangle \rightarrow \text{id} \quad (13)$$

$$| \text{inum} \quad (14)$$

$$| \text{fnum} \quad (15)$$



function SCANNER () **returns** Token:

```

while s.PEEK() = blank do s.ADVANCE()
if s.EOF() then ans.type ← $
else
    if s.PEEK() ∈ {0, 1, ..., 9} then
        | ans ← SCANDIGITS()
    else
        ch ← s.ADVANCE()
        switch ch do
            case {a, b, ..., z} \ {i, f, p}:
                | ans.type ← id
                | ans.val ← ch
            case f: ans.type ← floatdcl
            case i: ans.type ← intdcl
            case p: ans.type ← print
            case =: ans.type ← assign
            case +: ans.type ← plus
            case -: ans.type ← minus
            otherwise LEXICALERROR()
return ans
    
```

function SCANDIGITS () **returns** Token:

```

    tok.val ← ""
    while s.PEEK() ∈ {0, 1, ..., 9} do
        | tok.val ← tok.val + s.ADVANCE()
    if s.PEEK() ≠ . then tok.type ← inum
    else
        tok.type ← fnum
        tok.val ← tok.val + s.ADVANCE()
        while s.PEEK() ∈ {0, 1, ..., 9} do
            | tok.val ← tok.val + s.ADVANCE()
    return tok
    
```

s = stream of characters (input, global)

PEEK() returns the next entity in the input

ADVANCE() returns and erases the next entity in the input

```
function MATCH(ts: TokenStream, m: Type):  
  if ts.ADVANCE()  $\neq$  m then PARSEERROR()  
  
function STMT ():  
  if ts.PEEK() = id then  
    MATCH(ts,id)  
    MATCH(ts,assign)  
    VAL()  
    EXPR()  
  else if ts.PEEK() = print then  
    MATCH(ts,print)  
    MATCH(ts,id)  
  else PARSEERROR()  
  
function STMTS():  
  if ts.PEEK() = id or ts.PEEK() = print then  
    STMT()  
    STMTS()  
  else if ts.PEEK() = $ then  
    /* Do nothing ( $\epsilon$  rule) */  
  else PARSEERROR()
```

ts = stream of **tokens** (input, global)



```
function MATCH(ts: TokenStream, m: Type):  
  if ts.ADVANCE()  $\neq$  m then PARSEERROR()
```

```
function STMT ():  
  if ts.PEEK() = id then  
    MATCH(ts,id)  
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  else if ts.PEEK() = print then  
    MATCH(ts,print)  
    MATCH(ts,id)  
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function STMTS():  
  if ts.PEEK() = id or ts.PEEK() = print then  
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- Example of **recursive descent parsing**

ts = stream of **tokens** (input, global)



PARSING (SYNTACTIC ANALYSIS)

```
function MATCH(ts: TokenStream, m: Type):  
└ if ts.ADVANCE()  $\neq$  m then PARSEERROR()
```

```
function STMT():  
└ if ts.PEEK() = id then  
    └ MATCH(ts,id)  
    └ MATCH(ts,assign)  
    └ VAL()  
    └ EXPR()  
  
└ else if ts.PEEK() = print then  
    └ MATCH(ts,print)  
    └ MATCH(ts,id)  
  
└ else PARSEERROR()
```

```
function STMTS():  
└ if ts.PEEK() = id or ts.PEEK() = print then  
    └ STMT()  
    └ STMTS()  
  
└ else if ts.PEEK() = $ then  
    └ /* Do nothing ( $\epsilon$  rule) */  
  
└ else PARSEERROR()
```

ts = stream of **tokens** (input, global)

- Example of **recursive descent parsing**
 - Verifies that the program is **syntactically correct**
- Will in effect construct the **parse tree** (through recursion)
 - Code easily modified to produce the actual tree



PARSING (SYNTACTIC ANALYSIS)

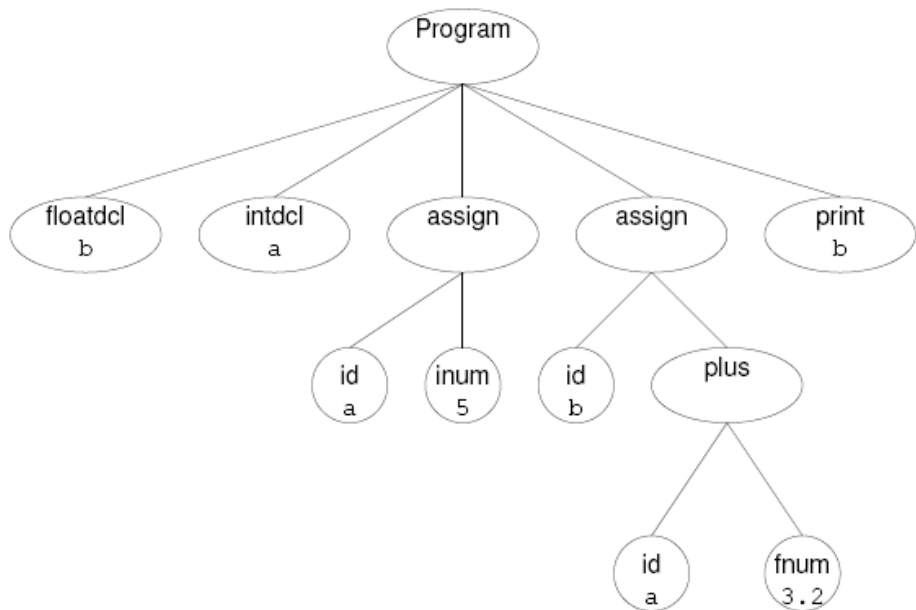
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```

ts = stream of **tokens** (input, global)

- Example of **recursive descent parsing**
 - Verifies that the program is **syntactically correct**
- Will in effect construct the **parse tree** (through recursion)
 - Code easily modified to produce the actual tree
- In practice however an **abstract syntax tree** or **AST** is constructed instead
 - Simplified version of the parse tree, that stores the structure of the program but not the details (such as the presence of keywords or the use of ϵ/λ rules)
 - The AST is the end product of parsing and is passed along to the next phase



EXAMPLE OF AC ABSTRACT SYNTAX TREE





- The semantic analysis examines the program properties that are not context free (and so cannot be verified by the parser).
 - Declarations and scope (using a **symbol table**)
 - Type checking
 - Other semantic rules
- Semantic analysis is generally accomplished using walks on the AST



- The semantic analysis examines the program properties that are not context free (and so cannot be verified by the parser).
 - Declarations and scope (using a **symbol table**)
 - Type checking
 - Other semantic rules
- Semantic analysis is generally accomplished using walks on the AST
- **Declarations and scope**: ensure that all identifiers are declared before use
 - Construction of the **symbol table**, accomplished by traversing the AST and processing all the nodes of type SymDecl:

```
function VISIT(n: SYMDECL):
```

```
    if n.type = floatdcl then ENTERSYMBOL(n.id, float)  
    else ENTERSYMBOL(n.id, integer)
```

```
function ENTERSYMBOL(name, type):
```

```
    if SymbolTable[name] = null then SymbolTable[name] ← type  
    else ERROR("Duplicate declaration")
```

```
function LOOKUPSYMBOL(name) returns Type:
```

```
    return SymbolTable[name]
```



function VISIT(n : Computing):

└ $n.type \leftarrow \text{CONSISTENT}(n.child1, n.child2)$

function VISIT(n : Assigning):

└ $n.type \leftarrow \text{CONVERT}(n.child2, n.child1.type)$

function VISIT(n : SymRef):

└ $n.type \leftarrow \text{LOOKUPSYMBOL}(n.id)$

function CONSISTENT($c1, c2$) **returns** Type:

└ $m \leftarrow \text{GENERALIZE}(c1.type, c2.type)$

└ $\text{CONVERT}(c1, m)$

└ $\text{CONVERT}(c2, m)$

└ **return** m

function GENERALIZE($t1, t2$) **returns** Type:

└ **if** $t1 = \text{float}$ **or** $t2 = \text{float}$ **then**

└ └ $and \leftarrow \text{float}$

└ **else** $and \leftarrow \text{integer}$

└ **return** ans

function CONVERT(n, t):

└ **if** $n.type = \text{float}$ **and** $t = \text{integer}$ **then**

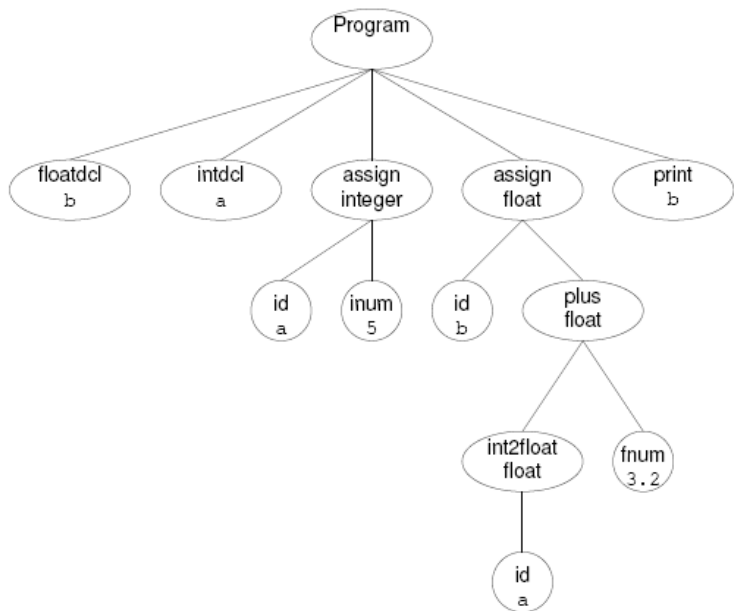
└ └ $\text{ERROR}(\text{"Illegal type conversion"})$

└ **else if** $n.type = \text{integer}$ **and** $t = \text{float}$ **then**

└ └ $\text{convert } n \text{ to float}$

- Declarations have been processed
- Now the other nodes are visited
 - Identifiers appearing in the code are checked against the symbol table (declarations)
 - Arithmetic and assignment nodes are checked for type consistency
 - Implicit type conversion is performed from integer to float (but not the other way around)
- Semantic analysis can be accomplished with a single traversal of the AST or with multiple traversals
 - Language dependent

EXAMPLE OF AST AFTER SEMANTIC ANALYSIS





function CODEGEN(*n*: Assigning):

```

| CODEGEN(n.child2)
| EMIT("s")
| EMIT(n.child1.id)
| EMIT("0 k")

```

function CODEGEN(*n*: Computing):

```

| CODEGEN(n.child1)
| CODEGEN(n.child2)
| EMIT(n.operation)

```

function CODEGEN(*n*: SymRef):

```

| EMIT("l")
| EMIT(n.id)

```

function CODEGEN(*n*: Printing):

```

| EMIT("l")
| EMIT(n.id) EMIT("p")
| EMIT("si")

```

function CODEGEN(*n*: Converting):

```

| CODEGEN(n.child1)
| EMIT("5 k")

```

function CODEGEN(*n*: Const):

```

| EMIT(n.val)

```

Source	Code
a = 5	5
	sa
	0 k
b = a + 3.2	la
	5 k
	3.2
	+
	sb
	0 k
p b	lb
	p
	si

- Ad-hoc generation
- Recursive process
- Principles will hold for complex languages